Clean for Haskell98 Programmers

– A Quick Reference Guide –

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This note is meant to give people who are familiar with the functional programming language Haskell98 a concise overview of Clean language elements. The goal is to support the reader when reading Clean code. In the table on the other side of this page frequently occurring Clean language elements are summarized, and their Haskell98 counterpart is given next to it.

Obviously, this summary is not exhaustive. Notable Clean language elements that also occur frequently in Clean programs, but that do not appear in this summary are:

- Strictness By default, Clean evaluates expressions lazily. Types can be annotated with strictness attributes (!) to indicate that they occur within a strict context. This is similar to Haskell98. Within a function definition, #! can be used to enforce evaluation of expressions. Haskell98 programmers will likely use the seq function.
- The uniqueness type system Briefly, types and type variables can be annotated with a uniqueness attribute. This attribute can be *, which indicates that the type must occur within a unique context, and u:, which is a uniqueness attribute variable, which can be instantiated with * or not. The uniqueness type system allows Clean to use the *world-as-value* paradigm for side-effective programming: an interactive program is of type *World -> *World, where World represent the external environment of the program of which there can be only one, hence its uniqueness attribute. In Haskell98, such a program would have type IO (). The uniqueness type system also allows the Clean compiler to generate efficient code because uniquely attributed data structures can be destructively updated.
- **Generic programming** With generic programming, the programmer defines a small set of instances of a generic function scheme that are used by the Clean compiler to derive for arbitrary data types the corresponding instance. Generic programming in Clean resembles generic programming in Generic H\skell.
- **Dynamic types** Dynamic types allow the programmer to serialize and de-serialize arbitrary expressions (including functions), resulting in a new value of type Dynamic. Dynamic values can be stored on disk.

I hope you enjoy this note and that it will aid you in reading Clean programs.

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Clean	Haskell98	
	Basic types	
(True,False) :: (Bool,Bool)	(True,False) :: (Bool,Bool)	
42 :: Int	42 :: Int	
3.1415926 :: Real	3.1415926 :: Float or Double	
'A' :: Char	'A' :: Char	
"Hello" :: String	"Hello" :: String	
Type definitions		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	data T $a_1 \dots a_n = C_1$ $t_1 \mid \dots \mid C_n$ t_n	
	$\begin{bmatrix} a_{1}a_{1} \dots a_{n} & - & 0 \end{bmatrix} t_{1} \\ \begin{bmatrix} a_{1}a_{1} \dots a_{n} & - & 0 \end{bmatrix} t_{1} \\ \begin{bmatrix} a_{1}a_{1} \dots a_{n} & - & 0 \end{bmatrix} t_{1} \\ \begin{bmatrix} a_{1}a_{1} \dots a_{n} & - & 0 \end{bmatrix} \\ \begin{bmatrix} a_{1}a_{1} \dots & a_{n} & - & 0 \end{bmatrix} \\ \begin{bmatrix} a_{1}a_{1} \dots & a_{n} & - & 0 \end{bmatrix} \\ \begin{bmatrix} a_{1}a_{1} \dots & a_{n} & - & 0 \end{bmatrix} \\ \\ \begin{bmatrix} a_{1}a_{1} \dots & a_{n} & - & 0 \end{bmatrix} \\ \begin{bmatrix} a_{1}a_{1} \dots & a_{n} & - & 0 \end{bmatrix} \\ \\ \begin{bmatrix} a_{1}a_{1} \dots & a_{n} & - & 0 \end{bmatrix} \\ \\ \begin{bmatrix} a_{1}a_{1} \dots & a_{n} & - & 0 \end{bmatrix} \\ \\ \begin{bmatrix} a_{1}a_{1} \dots & a_{n} &$	
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		
definition module M	module $M(T)$	
$\therefore T a_1 \dots a_n // no implementation$	 	
Function types $f :: t_1 \dots t_{n-1} \rightarrow t_n \mid C_1 a_1 \& \dots \& C_m a_m \mid f :: (C_1 a_1, \dots, C_m a_m) \Rightarrow t_1 \rightarrow \dots \Rightarrow t_{n-1} \rightarrow t_n$		
	Cype classes	
class $f a :: t$	class $f a$ where f :: t	
class C a C_1 ,, C_m a	class ($C_1 a, \ldots, C_m a$) => $C a$	
instance $C \ t \mid C_1$,, $C_m \ a$ where	instance $(C_1 \ a, \ldots, C_m \ a) \Rightarrow C \ t$ where \ldots	
	as-patterns	
x=:p	x@p	
	-expressions	
$p_1 \dots p_n \rightarrow e \text{ or: } p_1 \dots p_n \cdot e \text{ or: } p_1 \dots p_n = e p_1 \dots p_n \rightarrow e$		
Distinction of cases		
if $c \ t \ e$	if c then t else e	
case e of case e of	case e of	
$p_1 \rightarrow e_1$ or: $p_1 = e_1$	$p_1 \rightarrow e_1$	
	$p_1 \cdot v_1$	
e	$\int p_1 \dots p_n$	
$\int p_1 \dots p_n$	$ \begin{array}{c} f & p_1 \dots p_n \\ & c = t \end{array} $	
c = t	• • •	
= e otherwise = e		
	t expressions	
[1:[2:[3]]] :: [Int]	1:(2:(3:[])) :: [Int]	
$\begin{bmatrix} e & & p_1 & -g_1 \end{bmatrix}$	$\begin{bmatrix} e \mid p_1 < -g_1 \end{bmatrix}$	
$[e \lor p_1 \leftarrow g_1 \mid p]$	$[e p_1 < g_1, p]$	
$[e \ \ p_1 \ \ g_1$, $p_2 \ \ g_2$]	$[e \mid p_1 \leftarrow g_1, p_2 \leftarrow g_2]$	
$[e \ \ p_1 \ \ g_1 \ \& \ p_2 \ \ g_2]$	$[e (p_1, p_2) \leftarrow zipWith (,) g_1 g_2]$	
Record expressions		
$\begin{array}{cccc} \vdots & \mathbf{R} = \{ \mathbf{f} :: t \} \end{array}$	data $R = R \{ f :: t \}$	
$r = \{ f = e \}$	$\mathbf{r} = \mathbf{R} \{e\}$	
r.f	fr	
r!f	(\v -> (f v,v)) r	
{ r & f = e }	$\mathbf{r} \{ \mathbf{f} = e \}$	
Record patterns		
$:: R_1 = \{ f_1 :: R_2 \}$	data $R_1 = R_1 \{ f_1 :: R_2 \}$	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	data $R_2 = R_2 \{ f_2 :: t \}$	
$\begin{array}{c} \vdots & \vdots \\ \mathbf{g}_1 \\ \mathbf{f}_1 \\ \mathbf{f}_1 \end{array} = e \mathbf{f}_1 \end{array}$	$ \begin{array}{c} \operatorname{det} \mathbf{R}_2 & \operatorname{R}_2 & (\mathbf{r}_2 \cdot \cdot \cdot \mathbf{r}_3) \\ \mathbf{g}_1 & (\mathbf{R}_1 \ \{\mathbf{f}_1 = \mathbf{x}\}) = e \ \mathbf{x} \end{array} $	
$ \begin{array}{c} g_1 \left(\begin{array}{c} 1_1 \end{array}\right) = \left(\begin{array}{c} 1_1 \end{array}\right) \\ g_2 \left\{ \begin{array}{c} \mathbf{f}_1 = \left\{ \begin{array}{c} \mathbf{f}_2 \end{array}\right\} \right\} = e \mathbf{f}_2 \end{array} $	$ g_1 (R_1 \{f_1=x\}) = e x $ $ g_2 (R_1 \{f_1=R_2 \{f_2=x\}\}) = e x $	
	$\frac{1}{1} \frac{1}{2} \frac{1}{1} \frac{1}{1} \frac{1}{1} \frac{1}{2} \frac{1}$	
:: $A :== \{t\}$ type $A = Array Int t$		
$ = \{v_0, \dots, v_{n-1}\} $	a = array $(0, n-1)$ $[(0, v_0), \dots, (n-1, v_{n-1})]$	
$a = \{e \setminus p < -: a\}$ (see list comprehensions)	a = array (0, length $a-1$)	
- [7]	[e (i,a) <- zipWith (,) [0length a-1] a]	
a.[<i>i</i>]	a!i	
	$(\langle v \rangle \rightarrow (v!i,v))$ a	
$ \{a \& [i]=e\} $	$\left \frac{a}{[(i,e)]} \right $	
Comments		
// single line comment	single line comment	
1/* multi-ling /* mosted */ commont */	$\{-multi-line, \{-nested, -\} comment -\}$	
/* multi-line, /* nested, */ comment */	Function definitions	
Func	tion definitions	
Func	tion definitions	
Fund	tion definitions $f p_1$	